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Supplemental Information for:

Local norms of cheating and the cultural evolution of crime and punishment

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Supplemental Information consists of one PDF with 15 pages, including two tables. This file also contains information on sampling of participants as well as components of the packets received by participants in *Study 1* and *Study 2*. Page 5 contains the questions participants in *Study 1* answered about injunctive and descriptive civic norms in their neighborhoods. On page 6 are the instructions for the game, followed by examples and test questions on pages 7 through 9. The instructions and test questions were used in *Study 1* and *Study 2*. Participants used pages 10, 11, or 12 to record their responses for the game; these pages appeared in packets for Players 1, 2, and 3, respectively. Page 11 was used by Player 2 in both *Study 1* and *Study 2*. Pages 13 and 14 contain the norms manipulations for *Study 2* participants in Neighborhoods A and B, respectively. Note that in the packet participants were given, we referred to Players A, B, and C rather than Players 1, 2, and 3. In the manuscript, we refer to Players 1, 2, and 3 to avoid confusion with Neighborhoods A and B, which are called such to maintain continuity with Nettle, Colléony & Cockerill (2011).

25 *Study 1 sampling.* A total of 562 packets were delivered to Neighborhood A and 819 packets to  
26 Neighborhood B. We delivered packets to Neighborhood B at a higher rate because of the lower survey  
27 return rate [1] observed in Neighborhood B. We delivered Player 3 packets at a higher rate in both  
28 neighborhoods to increase statistical power for modeling *punitiveness*. Variation in the number of  
29 successfully delivered packets arose from difficulties in finding the residence or safely accessing the  
30 mailslot (particularly in Neighborhood B), as well as changes in residence. As expected, return rates  
31 were lower in Neighborhood B (Table S1).

32 Fourteen participants were excluded from the game because the participant had not completed  
33 the game component of the packet. Of these, twelve were from Neighborhood B, and all but one  
34 (Player 2) were given the role of Player 3. Because we used the 'strategy method' for Player 3, Player 3s  
35 were required to make 10 choices in the game, whereas Players 1 and 2 were required to make only one  
36 choice in the game. Most of the potential participants who were excluded for not completing the game  
37 circled a choice for only one of the 10 choices required to Player 3. After excluding these 14  
38 participants for incomplete submissions, we have final sample sizes of 40, 44, and 49 for Players 1, 2,  
39 and 3, respectively, in Neighborhood A, and 34, 43, and 50 for Players 1, 2, and 3, respectively, in  
40 Neighborhood B.

41

42 *Study 2 sampling.* A total of 200 Player 2 packets were delivered to Neighborhood A and 250 packets to  
43 Neighborhood B. The return rate for Neighborhood B (16.0%) was within the range observed across  
44 roles for *Study 1*. The return rate was slightly lower for Neighborhood A (21.5%) compared to the rate  
45 for *Study 1*. We excluded three participants from the game. Of these, two were from Neighborhood A;  
46 one participant was excluded for not circling a choice for the game, and the other was excluded because  
47 she did not respond to the norms manipulation questions (ESM). We excluded the participant from  
48 Neighborhood B because we suspected she had answered the questions randomly (e.g., she indicated

49 higher trust in people she met for the first time compared than those she knows personally); this did not  
50 qualitatively change the results, and we note that she had indicated she expected 3PP. Thus, in *Study 2*  
51 we have final samples sizes of 41 and 39 in Neighborhoods A and B, respectively (Table S3).

52 **Table S1.** Key sampling values for *Study 1*.

<b>Role</b>	<b>Packets delivered</b>	<b>Response rate</b>	<b>Sample size female</b>	<b>Sample size male</b>
Player 1	163 (241)	24.5% (14.1%)	24 (22)	16 (12)
Player 2	171 (231)	25.7% (19.1%)	22 (20)	22 (23)
Player 3	228 (347)	22.4% (17.6%)	26 (27)	23 (23)

53

54 Parentheses contain values for Neighborhood B. Discrepancies between return rates and final sample  
55 sizes are due to exclusion of incomplete packets.

56

57

58 **Table S2.** Key sampling values for *Study 2*.

<b>Role</b>	<b>Packets delivered</b>	<b>Response rate</b>	<b>Sample size female</b>	<b>Sample size male</b>
Player 2	200 (250)	21.5% (16.0%)	20 (23)	21 (16)

59

60 Parentheses contain values for Neighborhood B. Discrepancies between return rates and final sample  
61 sizes are due to exclusion of incomplete packets.

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76 Here, we ask some questions about certain behaviours. For part 'a' of each question, please tell us  
 77 whether you think the behaviour is Never OK, Always OK, or somewhere in between. Circle a number  
 78 from 1 to 10, where 1 is Never OK and 10 is Always OK. Then, for part 'b' of each question, please tell  
 79 us whether you think No one in your neighbourhood would do this, Everyone in your neighbourhood  
 80 would do this, or somewhere in between. Circle a number from 1 to 10, where 1 is No one would and  
 81 10 is Everyone would.

82

83 **1. Cheating the benefits system.**

84 a. Do you think it's Never OK, Always OK, or somewhere in between?

85

86 1 2 3 4 5 6 7 8 9 10

87

88 *Never*  
89 *OK**Always*  
*OK*

90 b. Do you think many people in your neighbourhood would do this?

91

92 1 2 3 4 5 6 7 8 9 10

93

94 *No one*  
95 *would**Everyone*  
*would*

96

97 **2. Avoiding a fare on public transport.**

98 a. Do you think it's Never OK, Always OK, or somewhere in between?

99

100 1 2 3 4 5 6 7 8 9 10

101

102 *Never*  
103 *OK**Always*  
*OK*

104 b. Do you think many people in your neighbourhood would do this?

105

106 1 2 3 4 5 6 7 8 9 10

107

108 *No one*  
109 *would**Everyone*  
*would*

110

111 **3. Cheating on taxes.**

112 a. Do you think it's Never OK, Always OK, or somewhere in between?

113

114 1 2 3 4 5 6 7 8 9 10

115

116 *Never*  
117 *OK**Always*  
*OK*

118 b. Do you think many people in your neighbourhood would do this?

119

120 1 2 3 4 5 6 7 8 9 10

121

122 *No one*  
123 *would**Everyone*  
*would*

124 *Now we explain the game to you. You will play the game with other people in your neighbourhood.*

125 **About the Game**

126 You can get real money from the game. Any money you make will be delivered to you in cash, in a  
127 sealed envelope, along with the £5 thank-you money. We will not keep any information linking your  
128 name or address to the choices you made in the game. We assure you the money is real, will be  
129 delivered in cash within one week from when we get your packet, and carries no conditions.

130

131

132

133 **The Game**

134 You will play this game with 2 other people who also got this packet in the post. These people are  
135 from your neighbourhood. You will never know who they are. They will never know who you are  
136 either. Each player is given a role in the game. The roles are: Player A, Player B, and Player C. The  
137 role you will play is given by the packet you got. The same is true for the other players in the game.

138

139

140

141 **How the game is played in the post:**

142 We provide an initial amount of £10 to **each** Player. Players A and C each make a choice about what to  
143 do with their money. They write this choice in their packets. The game is played once the packets have  
144 been returned to the university by post. Then, we deliver in cash the money each of the players got  
145 from the game. With the cash, we give each player a sheet showing what the other players chose to do.

146

147

148

149 **This is what happens in the game:**

150 Players A, B, and C **each** get £10 to start the game with. Player A must decide whether to take none,  
151 some, or all of the £10 that Player B would have gotten. If Player A takes money from Player B, then  
152 Player A will have it for themselves and Player B will not have it. Then, Player C must decide whether  
153 to use some of their money to make Player A lose money.

154

155 For each possible amount Player A might take from Player B (from £1 to £10), Player C makes a  
156 decision. Player C must decide whether to pay £2 to reduce the money Player A gets by £6 **or** to “do  
157 nothing”. If Player C decides to do nothing, they keep their full £10.

158

159

160

161 **Note:**

162 If Player A chooses to take £0 from Player B (that is, they choose not to take money from Player B),  
163 Player C cannot pay to make Player A lose money. Also, whatever Player C chooses, Player B will not  
164 get back the money Player A took from them if Player A chose to do so.

165

166 Because Player B cannot make a choice in the game, we ask Player B what they think Player C will do.

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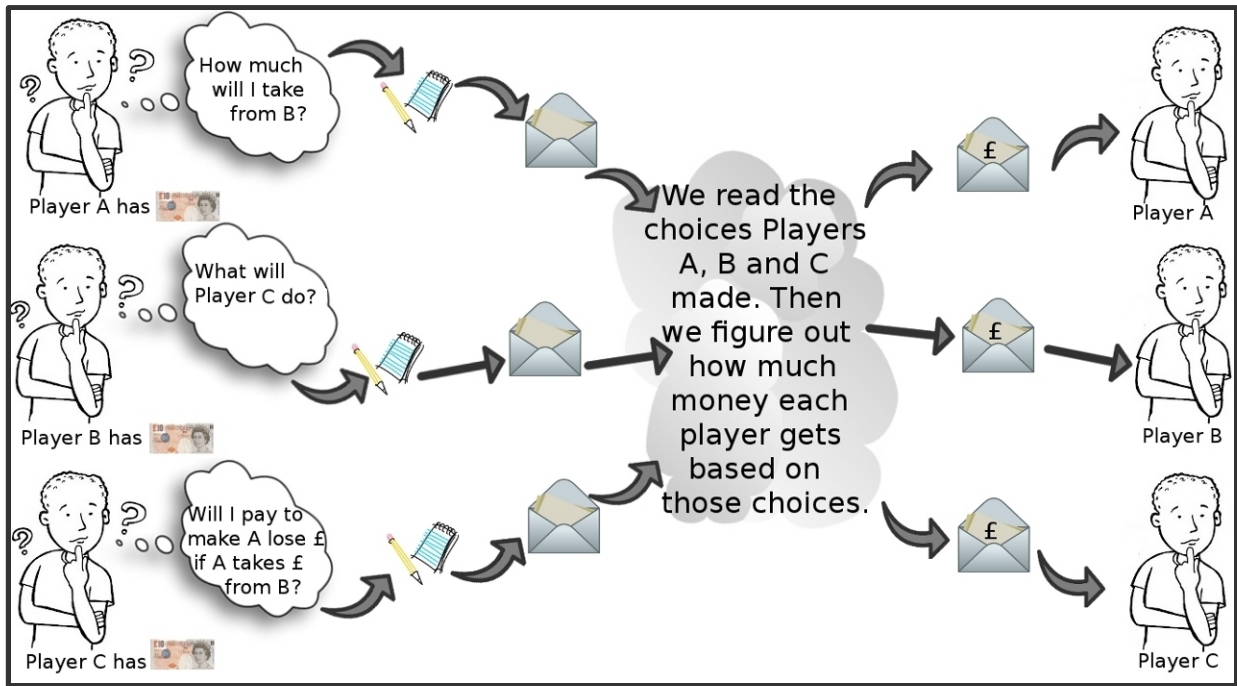
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How the Game Works



On this page and the next 3 pages, we go over examples. In Examples 3-5, we ask you questions to show you understand the game. The questions are in boxes. **Make sure you answer all the questions before playing the game for real!** Then we tell you which role you will play and you will play for real.

**Example 1.**

Players A, B, and C each start with £10.



Suppose Player A decided to take £0 from Player B.

In this case, Player A still has £10. Player B still has £10 as well. And Player C cannot pay to make Player A lose money, so Player C also still has £10.



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214 **Example 2.**

215 Players A, B, and C each start with £10.



218 Suppose Player A decided to take £1 from Player B. Now Player A has £11 and Player B has £9.



221 Now, suppose Player C had decided to “do nothing” if Player A were to take £1 from Player B. Then,  
222 Player A still gets £11. Player B still gets £9. And Player C still gets £10.



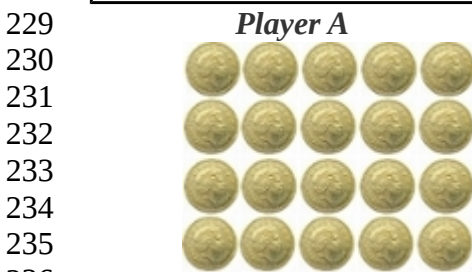
224 **Example 3.**

225 Players A, B, and C each start with £10.



228 Suppose Player A decided to take £10 from Player B. Now Player A has £20.

**QUESTION:** How many £ does Player B have now (fill in the blank)? £\_\_\_\_\_



230 **Player B**  
231 ?



237 However, suppose Player C had decided that if Player A were to take £10 from Player B, they would  
238 pay to make Player A lose money.

239 Then, Player C pays £2 to subtract £6 from the money Player A was going to get. Player C would then  
240 get £8 (£10 minus £2 equals £8). Player B would still get £0.

**QUESTION:** How many £ does Player A get? £\_\_\_\_\_

241 **Player A**  
242 ?

**Player B**  
0





243 **Example 4.**

244 Players A, B, and C each start with £10.



247 Suppose Player A decided to take £1 from Player B. Now Player A has £11 and Player B has £9.



250 However, suppose Player C had decided that if Player A were to take £1 from Player B, they would pay  
251 to make Player A lose money.

252  
253 Then, Player C pays £2 to subtract £6 from the money Player A was going to get. Player A would get  
254 £5 (£11 minus £6 equals £5). Player B would still get £9.

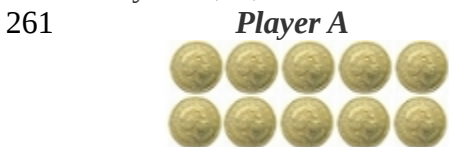
**QUESTION:** How many £ would Player C get? £\_\_\_\_\_



**Player C**  
?

259 **Example 5.**

260 Players A, B, and C each start with £10.



263 Suppose Player A decided to take £10 from Player B. Now Player A has £20 and Player B has £0.



**Player B**  
0



272 Now, suppose Player C had decided to “do nothing” if Player A were to take £10 from Player B.

**QUESTIONS:** How many £ would Player A get? £\_\_\_\_\_ Player B? £\_\_\_\_\_ Player C? £\_\_\_\_\_

273 **Player A**  
?

**Player B**  
?

**Player C**  
?

274

275 We have gone over examples of the game. **Be sure you filled in answers to all the questions in boxes**  
276 **that tested your understanding of the game!** On this page, you will **NOW** play the game **for real**.

277

278 **THE GAME**

279 Your role is: **Player A**.

280

281 You are starting the game with £10. Players B and C are starting the game with £10 as well. Along  
282 with any money from the game, each player will receive a sheet that explains what decisions were  
283 made in the game and the outcomes.

284

285 How many pounds do you choose to take from Player B?

286

287 Instructions: **Circle** an amount.

288

289

290 £0

291

292

293 £1

294

295

296 £2

297

298

299 £4

300

301

302 £5

303

304

305 £6

306

307

308 £7

309

310

311 £8

312

313

314 £9

315

316

317 £10

318

319

320 **Check – Be sure** you circled your choice! To play the game, you need to make a decision!

321

322 We have gone over examples of the game. **Be sure you filled in answers to all the questions in boxes**  
 323 **that tested your understanding of the game!** On this page, you will **NOW** play the game **for real**.

324

325 **THE GAME**

326 Your role is: **Player B**.

327

328

329 You are starting the game with £10. Players A and C are starting the game with £10 as well. Along with  
 330 any money from the game, each player will receive a sheet that explains what decisions were made in  
 331 the game and the outcomes.

332

333

334 You cannot make a choice in this game. The amount of money you make in the game will depend on  
 335 what Player A does. **However, we would like to know what you think Player C would choose to do.**  
 336 Please fill out Question 1.

337

338

339 **Question 1.** Suppose Player A decided to take **£5** from Player B (you). If Player A took £5 from you,  
 340 do you think that Player C would choose to pay £2 of their £10 to make Player A get £6 less?

341

342

343 **Instructions:** **Circle** the choice you **think** Player C would make **if Player A took £5 from you**.

344

345

346

Do nothing

**OR**

Pay £2 so Player A gets £6 less

347

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370 We have gone over examples of the game. **Be sure you filled in answers to all the questions in boxes**  
 371 **that tested your understanding of the game!** On this page, you will **NOW** play the game **for real**.

372

### 373 **THE GAME**

374 Your role is: **Player C**.

375

376 You are starting the game with £10. Players A and B are starting the game with £10 as well. Along with  
 377 any money from the game, each player will receive a sheet that explains what decisions were made in  
 378 the game and the outcomes.

379

380 We will not know how many pounds Player A will take from Player B until the packets are received at  
 381 the university. So, you must decide ahead of time what you choose to do for each decision Player A  
 382 could make.

383

384 **Instructions:** For **EACH possible amount Player A could take** from Player B, **circle one of the**  
 385 **options**. There are **10 choices for you to make**.

386 *Note: If Player A does not take any money from Player B, you cannot pay to reduced the amount of*  
 387 *money Player A gets. So, there is no choice for you to make if Player A takes £0.*

388

	<b>IF . .</b>	<b>I CHOOSE TO . .</b>	
<b>Choice 1.</b>	Player A takes <b>£1</b> from Player B	Do nothing	Pay £2 so Player A loses £6
<b>Choice 2.</b>	Player A takes <b>£2</b> from Player B	Do nothing	Pay £2 so Player A loses £6
<b>Choice 3.</b>	Player A takes <b>£3</b> from Player B	Do nothing	Pay £2 so Player A loses £6
<b>Choice 4.</b>	Player A takes <b>£4</b> from Player B	Do nothing	Pay £2 so Player A loses £6
<b>Choice 5.</b>	Player A takes <b>£5</b> from Player B	Do nothing	Pay £2 so Player A loses £6
<b>Choice 6.</b>	Player A takes <b>£6</b> from Player B	Do nothing	Pay £2 so Player A loses £6
<b>Choice 7.</b>	Player A takes <b>£7</b> from Player B	Do nothing	Pay £2 so Player A loses £6
<b>Choice 8.</b>	Player A takes <b>£8</b> from Player B	Do nothing	Pay £2 so Player A loses £6
<b>Choice 9.</b>	Player A takes <b>£9</b> from Player B	Do nothing	Pay £2 so Player A loses £6
<b>Choice 10.</b>	Player A takes <b>£10</b> from Player B	Do nothing	Pay £2 so Player A loses £6

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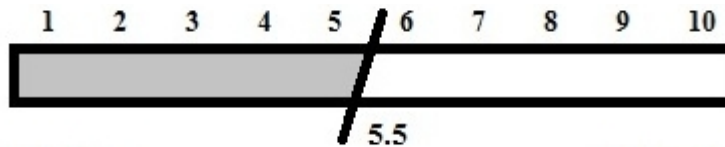
390 **Check – Be sure you circled an option for each of the 10 choices! To play the game, you need to**  
 391 **make a decision for each of the 10 choices!**

392 As a part of the Tyneside Neighbourhoods Project, we recently asked 10 people in your neighbourhood  
 393 how common they think certain behaviours are in your neighbourhood. For each behaviour, we asked  
 394 them to circle a number from 1 to 10, where 1 is No one in your neighbourhood would do this and 10 is  
 395 Everyone in your neighbourhood would do this.

396  
 397 We then averaged their answers to get an idea of how common people think certain behaviors are in  
 398 your neighbourhood. Below we show you what they think. What do you think of their answers?  
 399

400 1. We asked: Would many people in your neighbourhood cheat the benefits system?

401 People in your neighbourhood think:



402 No one would

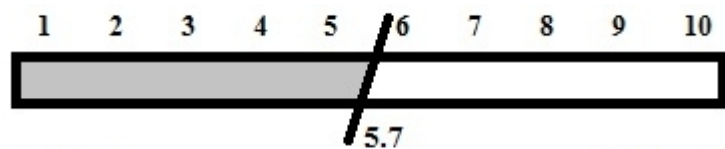
Everyone would

403  
 404 What do you think? (circle one)

405 Fewer people would do this                      This is about right                      More people would do this

406  
 407  
 408 2. We asked: Would many people in your neighbourhood avoid a fare on public transport?

409 People in your neighbourhood think:



410 No one would

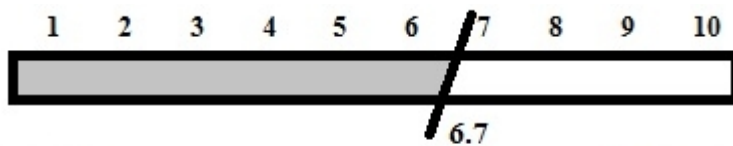
Everyone would

411  
 412 What do you think? (circle one)

413  
 414 Fewer people would do this                      This is about right                      More people would do this

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 417 3. We asked: Would many people in your neighbourhood cheat on taxes?

418 People in your neighbourhood think:



419 No one would

Everyone would

420  
 421 What do you think? (circle one)

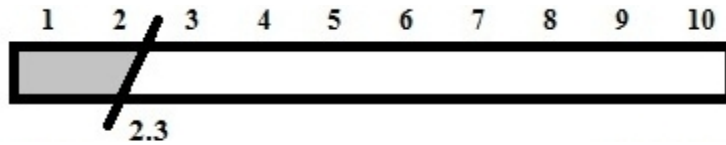
422 Fewer people would do this                      This is about right                      More people would do this

423 As a part of the Tyneside Neighbourhoods Project, we recently asked 10 people in your neighbourhood  
424 how common they think certain behaviours are in your neighbourhood. For each behaviour, we asked  
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427  
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429 your neighbourhood. Below we show you what they think. What do you think of their answers?  
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432 People in your neighbourhood think:



433 No one would

Everyone would

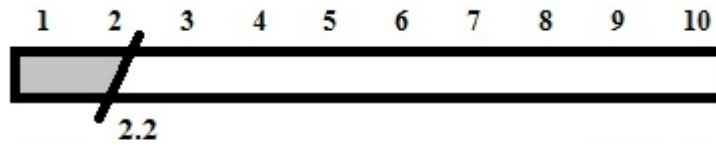
434  
435 What do you think? (circle one)

436 Fewer people would do this                      This is about right                      More people would do this

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438

439 2. We asked: Would many people in your neighbourhood avoid a fare on public transport?

440 People in your neighbourhood think:



441 No one would

Everyone would

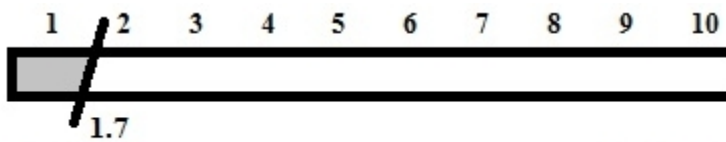
442  
443 What do you think? (circle one)

444  
445 Fewer people would do this                      This is about right                      More people would do this

446  
447

448 3. We asked: Would many people in your neighbourhood cheat on taxes?

449 People in your neighbourhood think:



450 No one would

Everyone would

451  
452 What do you think? (circle one)

453 Fewer people would do this                      This is about right                      More people would do this

454 **References.**

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456 *One* **6**:e26922. doi:10.1371/journal.pone.0026922.

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