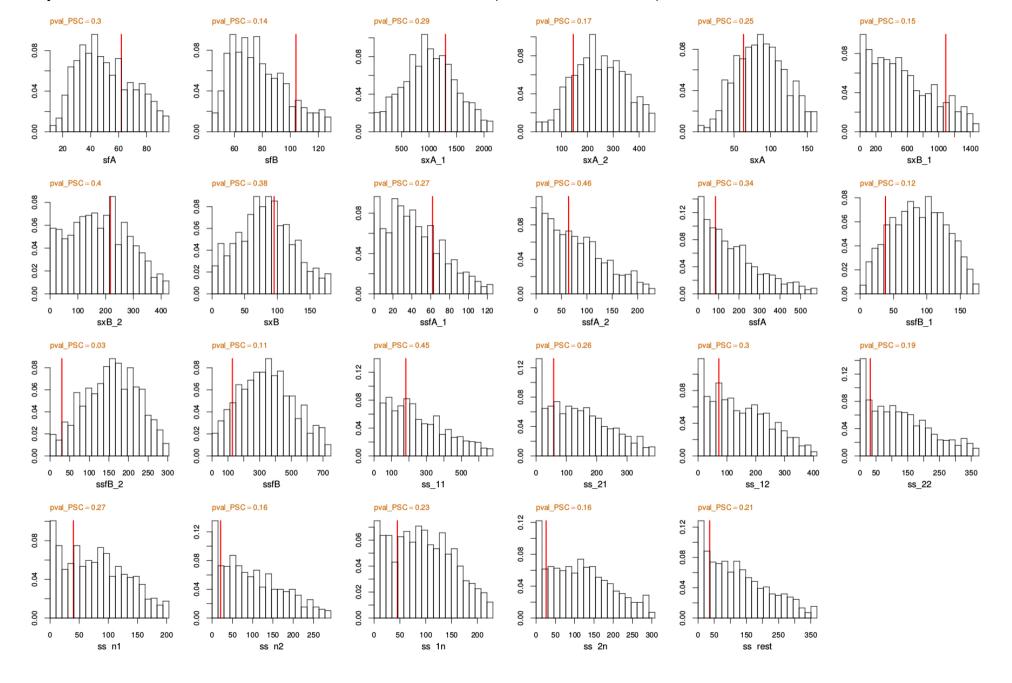
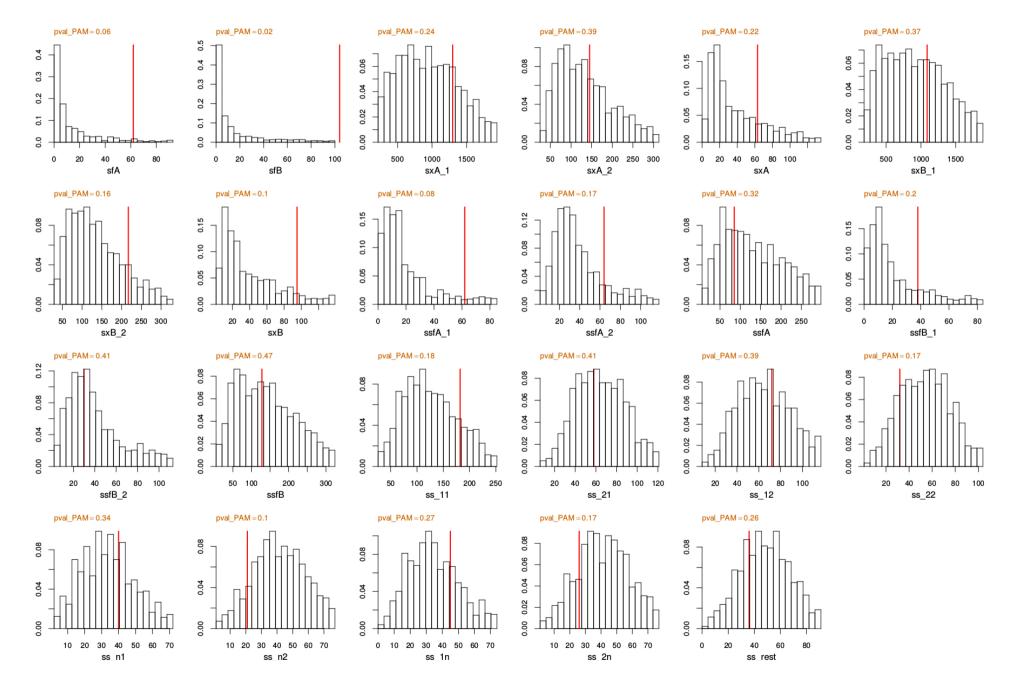


Figure S1. Unfolded joint site frequency spectrum for the two different sequencing techniques. jSFS of increasing sample size are shown for the "exome capture" data sets in (A) two individuals: 3,993 SNPs, (B) four individuals: 5,092 SNPs and (C) eight individuals: 5,000 SNPs; and for the "rna-seq" data sets in (D) two individuals: 17,275 SNPs and (E) four individuals: 17,902 SNPs. For n < 8, individuals were subsampled at random. Each cell is colored proportionally to the logarithm of the number of sites within it (indicated inside each cell). The decomposition into 23 classes of polymorphism is shown. All other details match Figure 2.

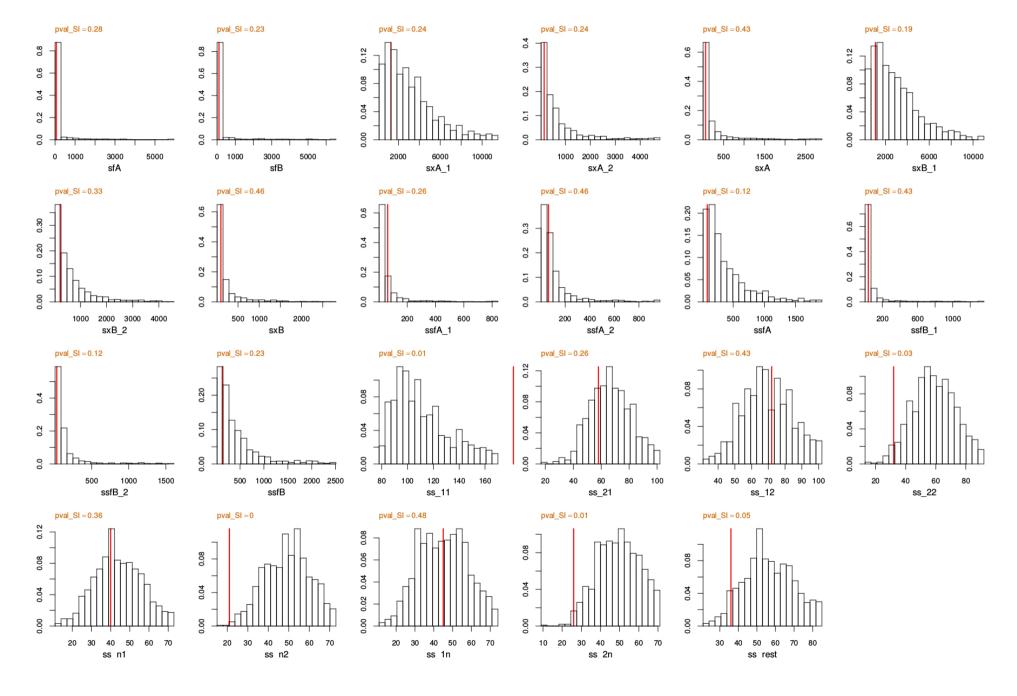
PSC.hetero (best model; PP=0.385)



PAM.hetero (6th model; PP=0.007)

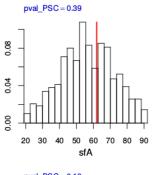


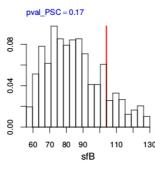
SI (4th model; PP=0.009)

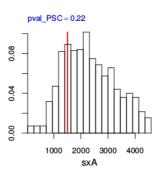


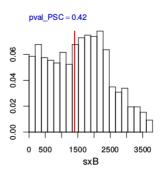
B. jsfs = 7

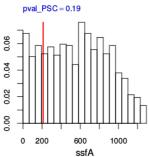
PSC.homo (9th model; PP=0.001)

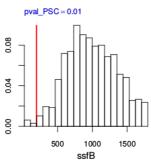


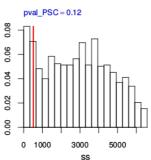




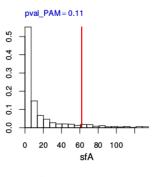


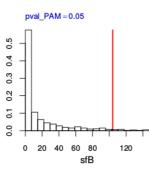


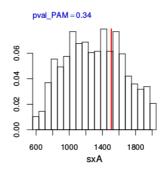


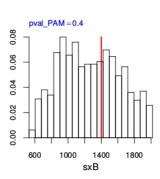


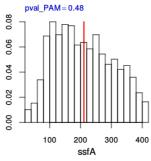
PAM.homo (best model; PP=0.309)

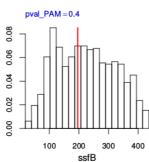


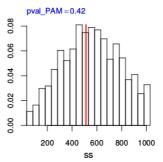




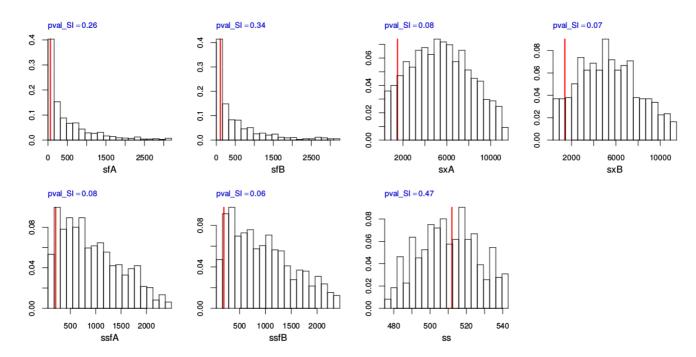






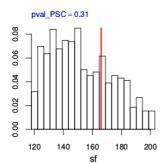


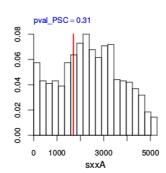
SI (5th model; PP=0.06)

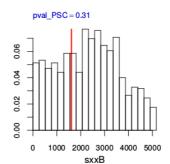


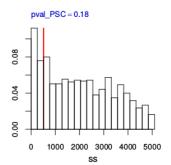
C. jsfs = 4

PSC.homo (6th model; PP=0.003)

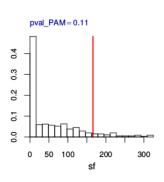


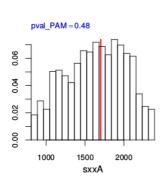


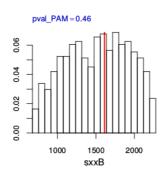


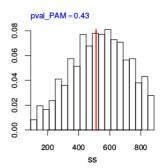


PAM.homo (best model; PP=0.360)

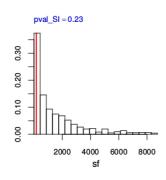


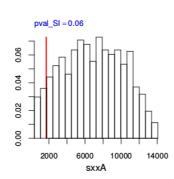


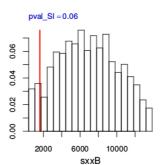


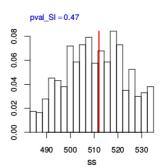


SI (5th model; PP=0.028)









pval_PSC = 0.3 pval_PSC = 0.44 pval_PSC = 0.12 pval_PSC = 0.18 pval_PSC = 0.24 $pval_PSC = 0.35$ D. mscalc 0.10 0.10 0.20 PSC.hetero 0.10 0.05 (7th model; PP=0.031) 10 0.5 1.0 0.1 0.3 1.5 0.2 bialsites_avg bialsites std sf_std sxA_avg sxA std sf_avg pval_PSC = 0.45 pval_PSC = 0.38 pval_PSC = 0.34 pval_PSC = 0.48 pval PSC = 0.16 pval PSC = 0.29 0.08 2 4 6 8 10 12 14 0.01 0.02 0.03 0.04 0.005 0.015 0.025 sxB avg sxB std ss std piA_avg piA_std ss avg pval_PSC = 0.37 pval_PSC = 0.48 pval_PSC = 0.35 pval_PSC = 0.15 pval_PSC = 0.28 pval_PSC = 0.47 0.12 0.08 0.04 0.01 0.02 0.03 0.04 0.01 0.02 0.03 0.04 0.01 0.02 0.03 0.04 0.005 0.015 0.025 0.01 0.02 0.03 0.04 0.01 0.02 0.03 0.04 piB_avg piB_std thetaA_avg thetaA_std thetaB_avg thetaB_std pval_PSC = 0.01 pval_PSC = 0.04 pval_PSC = 0.41 pval_PSC = 0.08 pval PSC = 0.27 pval_PSC = 0.43 0.20 0.10 0.10 -0.4 -0.3 -0.2 -0.1 0.0 0.2 0.4 0.6 -0.4 -0.3 -0.2 -0.1 0.3 0.4 0.5 0.6 0.7 0.8 0.01 0.02 0.03 0.04 0.05 0.005 0.015 0.025 0.035 DtajA_avg DtajA_std DtajB_avg DtajB_std divAB_avg divAB_std pval_PSC = 0.32 pval_PSC = 0.43 pval_PSC = 0.34 pval_PSC = 0.47 0.08 0.04 0.18 0.002 0.004 0.006 0.008 0.005 0.010 0.015 0.020 0.10 0.12 0.14 0.22

FST avg

FST std

netdivAB avg

netdivAB std

pval_PAM = 0.13 pval_PAM = 0.17 pval_PAM = 0.17 pval_PAM = 0.06 pval_PAM = 0.05 pval_PAM = 0.19 PAM.hetero 90.0 90.0 0.04 (5th model; PP=0.05) 0.0 0.5 10 15 20 0.8 0.0 1.0 10 bialsites_std sxA_std bialsites_avg sf_std sf_avg sxA_avg pval_PAM=0.16 pval_PAM = 0.13 pval_PAM = 0.18 pval PAM = 0.17 pval_PAM = 0.28 pval_PAM = 0.24 0.08 90.0 0.04 0.01 0.02 0.03 0.04 0.005 0.010 0.015 sxB std ss std piA_std sxB_avg ss_avg piA_avg pval_PAM = 0.17 pval_PAM = 0.27 pval_PAM = 0.24 pval_PAM = 0.16 pval_PAM = 0.17 pval_PAM = 0.27 0.04 0.01 0.02 0.03 0.04 0.006 0.010 0.014 0.018 0.02 0.03 0.04 0.005 0.010 0.015 0.01 0.02 0.03 0.04 0.006 0.010 0.014 0.018 piB_avg piB_std thetaA_avg thetaA_std thetaB_avg thetaB_std pval_PAM = 0.13 pval_PAM = 0.25 pval_PAM = 0.05 pval_PAM = 0.38 pval PAM = 0.22 pval_PAM = 0.15 0.08 0.08 0.04 0.55 0.60 0.65 0.70 0.75 -0.35 -0.25 -0.15 -0.45 -0.40 -0.35 -0.30 0.45 0.50 0.55 0.60 0.65 0.01 0.02 0.03 0.04 0.05 0.004 0.008 0.012 0.016 DtajA_std DtajB_std divAB_std DtajA_avg DtajB_avg divAB_avg pval_PAM = 0.16 pval_PAM = 0.06 pval_PAM = 0.06 pval_PAM = 0.02 0.08 0.10 0.10 0.000 0.00 0.05 0.10 0.15 0.20 0.25 0.004 0.008 0.012 0.002 0.006 0.010 0.08 0.12 0.16

FST avg

FST std

netdivAB std

netdivAB avg

pval_SI = 0.13 pval_SI = 0.15 pval_SI = 0.16 pval_SI = 0.04 pval_SI = 0.11 pval_SI = 0.13 SI (best model; PP=0.369) 0.02 10 15 20 25 0.1 0.2 0.3 0.4 0.5 0.6 0.2 0.4 0.6 0.8 1.0 1.2 10 6 8 10 10 15 20 25 30 35 5 sf_std sxA_std bialsites ava bialsites std sf_avg sxA_avg pval_SI = 0.11 pval_SI = 0.16 pval_SI = 0.49 pval_SI = 0.25 pval_SI = 0.2 pval_SI = 0.22 0.08 90.0 0.02 6 8 10 12 0.012 0.016 0.020 2 4 0.6 0.8 1.0 1.0 1.2 1.4 1.6 1.8 2.0 2.2 0.01 0.02 0.03 0.04 0.05 0.008 1.2 sxB_std sxB_avg ss_avg ss_std piA_avg piA_std pval_SI = 0.17 pval_SI = 0.32 pval_SI = 0.19 pval_SI = 0.23 pval_SI = 0.17 pval_SI = 0.34 0.08 90.0 0.04 0.02 0.016 0.020 0.01 0.02 0.03 0.04 0.05 0.012 0.016 0.020 0.012 0.016 0.020 0.01 0.02 0.03 0.04 0.05 0.06 0.008 0.012 0.008 0.01 0.02 0.03 0.04 0.05 0.06 piB_avg piB std thetaA_avg thetaA_std thetaB_avg thetaB_std pval_SI = 0.48 pval_SI = 0.15 pval_SI = 0.15 pval_SI = 0.26 pval_SI = 0.06 pval_SI = 0.22 90.0 0.04 0.06 9.0 0.02

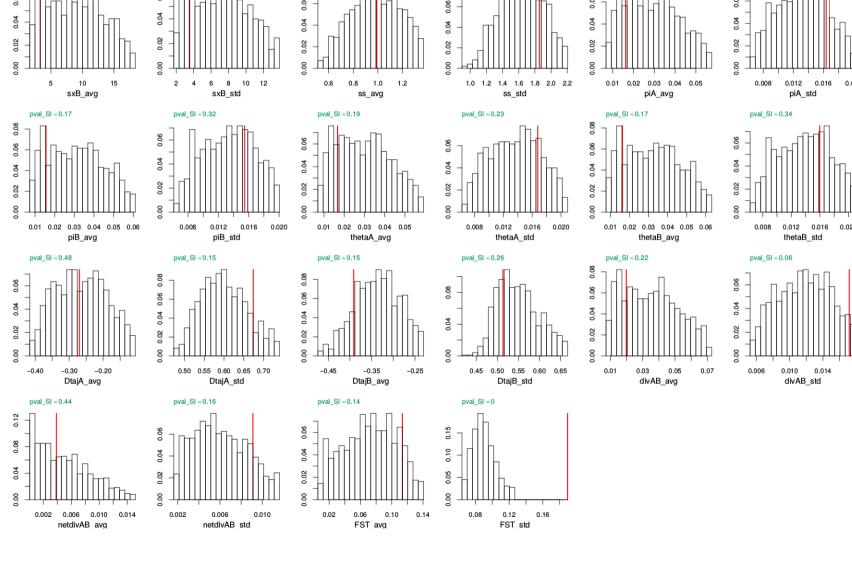
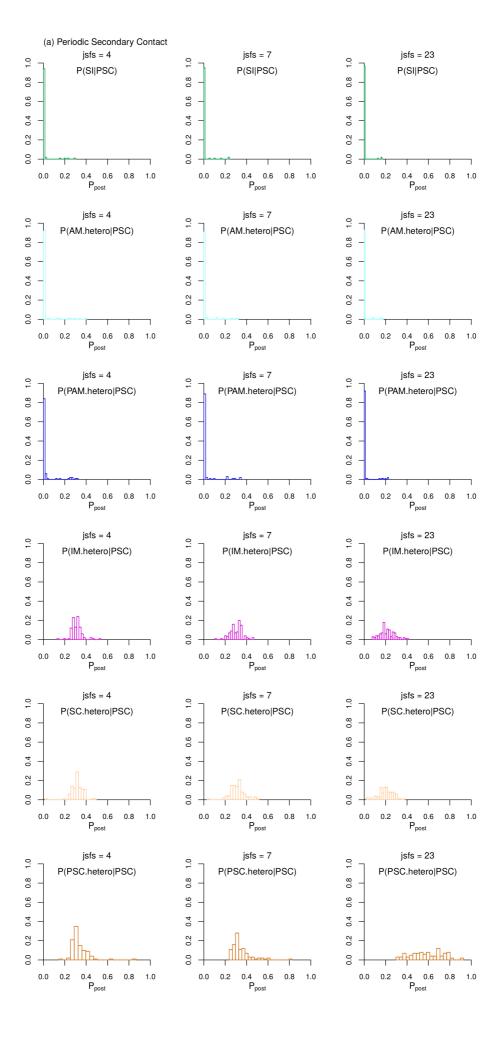


Figure S2. Goodness-of-fit test for three models (Periodic Secondary Contact, PSC; Periodic Ancient Migration, PAM; Strict Isolation, SI) with the "exome capture" data, n=2 individuals and the different summary statistics: (A) jSFS including twenty-three classes (best model: PSC); (B) jSFS including 7 classes (best model: PAM); (C) jSFS including 4 classes (best model: PAM); (D) mscalc (best model: SI). 100 multilocus pseudo-observed datasets were simulated from the joint posterior distribution of parameters under each best-estimated model. From these simulations, we compared the expected distributions of the summary statistics with their observed value. For each statistics, the red vertical line represents the observed value, and the bars represent the posterior distribution.



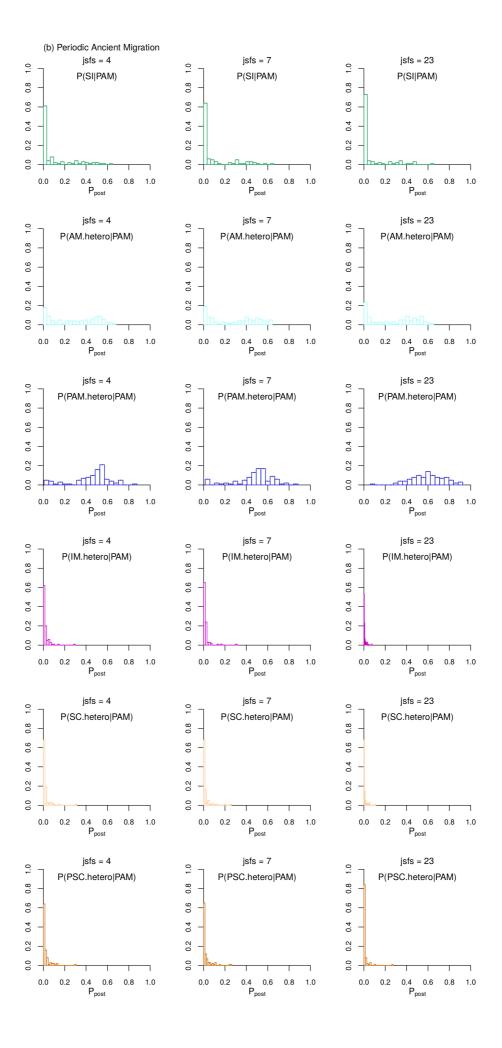


Figure S3. Evaluation of the ABC performance on model choice. Empirical distributions of the posterior probability of (A) the periodic secondary contact model and (B) the periodic ancient migration model are shown when Strict Isolation (green), Isolation with Migration (purple), Ancient Migration (pale blue), Periodic Ancient Migration (blue), Secondary Contact (pale orange) or Periodic Secondary Contact (orange) models are the true models. Distributions were obtained from an ABC analysis of 100 simulated pseudo-observed datasets. Results for the different binning strategies (*jsfs*=4, *jsfs*=7 and *jsfs*=23 classes) are compared.